





Coherent X-ray Diffraction on Quantum Dots

Ivan Vartaniants

HASYLAB, DESY, Hamburg, Germany

Or Coming Back to Crystallography

Participants of the Project

University of Illinois, Urbana-Champaign, IL, USAProf. Ian Robinson•G. Williams•M. Pfeifer•M. Pfeifer•J. Onken•M.Liang

F. Pfeiffer, Swiss Light Source, PSI, Switzerland
Zh. Zhong, MPI, Stuttgart
Prof. Gunter Bauer, Inst. für Halbleiter-und Festkörperphysik, Austria
H. Metzger, ESRF, France

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Motivations

- 1. Electronic and optical properties of nano-devices depend on the structure (shape and strain)
- 2. Development of different scattering methods for imaging nano-structures is extremely important

Imaging

Can we compete with electron microscopy?



First approach:

Focusing Optics

Focusing Optics KB mirrors



Robinson *et.al.*, (2003) Optics Express, 11, 2329



Coherent X-ray Diffraction pattern from Ag nanocrystals of size D=170 nm

Alternative Approach: Using Periodic Array of Quantum Dots



Motivations:

Using a periodic patterned array for bio-molecules imaging

I. Vartanyants & I. Robinson, J. Synchrotr. Rad. (2003), <u>10</u>, 409

Imaging of biomolecules with femtosecond X-ray pulses



Explosion of T4 lysozyme induced by radiation damage

R. Neutze, et al., Nature (2000) 406, 752

Imaging of Biomolecules with Femtosecond X-ray Pulses



Simulated continuous scattering image of a single T4 lysozyme molecule under ideal conditions without sample movement or damage. **R. Neutze**, *et al.*, Nature (2000) 406, 752

Imaging of Quantum Dots with Coherent Beams



$$p(\mathbf{r}) = S(\mathbf{r}) \cdot \left[s_{\mathrm{Z}}(\mathbf{r}) \otimes p_{\infty}(\mathbf{r}) \right]$$

Electron density of periodic array of QD's

 $S(\mathbf{r})$ – shape of coherently illuminated area $s_z(\mathbf{r})$ –projection of shape of one island $s(\mathbf{r},z)$

$$p_{\infty}(\mathbf{r}) = \sum_{n} \delta(\mathbf{r} - \mathbf{r}_{n})$$

Diffracted intensity:

$$\mathbf{I}_{coh}(q) = |\mathbf{A}_{coh}(q)|^{2} = \sum_{n} |\mathbf{s}_{z}(h_{n})|^{2} |\mathbf{S}(q - h_{n})|^{2}$$

2D array of QD's and it's diffraction pattern



2D array of QD's



Image of individual island



Diffraction pattern of 2D array



Diffraction pattern of individual island

Iterative phase retrieval algorithm



Real space constraints:

finite supportreal, positive

Reciprocal space constraint: $|A_k(\mathbf{q})| \rightarrow \sqrt{I_{exp}(\mathbf{q})}$

J.R. Fienup, *Appl Opt.* (1982). **21**, 2758 R.P. Millane & W.J. Stroud, *J. Opt. Soc. Am.* (1997) **A14**, 568

Reconstructed image of 2D array of QD's



Support used for reconstruction



Reconstructed image

Diffraction intensity of reconstructed image



Reconstructed image with superposition of twin images

Experiment

Experiment (Sector 34 APS)



AFM image of 2D ordered Ge islands with corresponding line scans

Z. Zhong & G. Bauer



Diffraction pattern around Ge (202) peak

I. Vartaniants et. al., PRB **71**, 245302 (2005)

GISAXS measurements





Reconstruction of quantum dot shape GISAXS measurements ($\alpha_i < \alpha_c$ **)**



Reconstruction of quantum dot shape GISAXS measurements ($\alpha_i < \alpha_c$)



Final support



Comparable with resolution in electron microscopy Average size: 128(H)×45(V) nm Resolution: 20(H) ×5(V) nm

Reconstruction of quantum dot shape GISAXS measurements ($\alpha_i < \alpha_c$)





Reconstruction

Questions Problems Future Directions

Simulation of diffraction pattern Beam stop effects



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Test Reconstructions for the Different Size of the Beam Stop

















$$R_0 = 30 \text{ px}$$

$$R_0 = 40 \text{ px}$$

Anomalous Scattering @ Ge K-edge



In this way we hope to separate Ge and Si contributions



Simulations Using DWBA Theory

$$A_{1}(\mathbf{q}) = \int_{island} \chi_{0}(\mathbf{r})e^{i(\mathbf{q}_{\parallel}+\mathbf{q}_{1}^{\perp})\cdot\mathbf{r}}dV$$

$$A_{2}(\mathbf{q}) = R(\alpha_{f})\int_{island}\chi_{0}(\mathbf{r})e^{i(\mathbf{q}_{\parallel}+\mathbf{q}_{2}^{\perp})\cdot\mathbf{r}}dV$$

$$A_{2}(\mathbf{q}) = R(\alpha_{f})\int_{island}\chi_{0}(\mathbf{r})e^{i(\mathbf{q}_{\parallel}+\mathbf{q}_{2}^{\perp})\cdot\mathbf{r}}dV$$

$$A_{2}(\mathbf{q}) = R(\alpha_{f})\int_{island}\chi_{0}(\mathbf{r})e^{i(\mathbf{q}_{\parallel}+\mathbf{q}_{2}^{\perp})\cdot\mathbf{r}}dV$$

$$A_{4}(\mathbf{q}) = R(\alpha_{i})R(\alpha_{f})\int_{island}\chi_{0}(\mathbf{r})e^{i(\mathbf{q}_{\parallel}+\mathbf{q}_{2}^{\perp})\cdot\mathbf{r}}dV$$

M. Schmidbauer et al., Phys. Rev. B (2005) 71, 115324

Simulations Using DWBA Theory



 $q_z \; (\mathring{A}^{\text{-1}})$

 $q_z \left(\mathring{A}^{\text{-1}} \right)$

0.08 0.07 0.06 0.05 0.04 0.03 0.02 0.01 -0.01 0.00 -0.02 0.01 0.02 0.03 -0.04 -0.03 0.04







D. Grigoriev, HU Berlin

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Simulations Using DWBA Theory



 $I(\mathbf{q}) = |A_1(\mathbf{q})|^2$



 $I(\mathbf{q}) = |A_1(\mathbf{q}) + A_2(\mathbf{q}) + A_4(\mathbf{q})|^2$



 $I(\mathbf{q}) = |A_1(\mathbf{q}) + A_4(\mathbf{q})|^2$



 $I(\mathbf{q}) = |A_1(\mathbf{q}) + A_2(\mathbf{q}) + A_3(\mathbf{q}) + A_4(\mathbf{q})|^2$

Conclusions and Outlook

- Periodic systems of quantum dots can be effectively imaged with coherent x-rays with nanometer resolution
- Coherent X-ray Diffraction on buried quantum dot systems
- Coherent X-ray Diffraction on a patterned **biological** samples (viruses, molecules and etc.)

Coherent X-ray Diffraction Project at HASYLAB

Andreas Schropp Christian Schroer Edgar Weckert

Experiment on ID-01 in ESRF

Staff of ID-01: Hartmut Metzger Christian Mocuta, Peter Boesecke





Diffraction Pattern Measured @ 7 keV







700 px (120 µm⁻¹)

500 px (85 μm⁻¹)

Samples



Electron Microscopy

O. Kuparova, II Physikalishes Institut, Aachen



First Results of Reconstruction

Thank you for your attention